

II 1/4c20k±c1/4: II

Đ-3 (Ü) ¥{ÇHÇ¶¼ÔHÜPÇ »ÜS² „„†|ÇÃ²ÇW²Ç ÜÜ²ÇÜ

04

- [illegible]

(7) $\pm \frac{1}{4} \leq \frac{1}{2} \leq \pm \frac{1}{4}$

08

 $\yen f \pm \text{¢}$

$\hat{c} \hat{\lambda}^{\alpha} \gamma_{\epsilon}^{\beta} \omega_{\mu}^{\delta} | \phi_H \pm c_Y \mp c_Z : a_0 \phi_a \phi_b \phi_E H,, c_{\frac{1}{2}} \hat{a} \hat{a}_0 \frac{1}{2} J$

(x¢) ¥¢¼Hí¢èú²¢: ĐÔ¢: „}¢{P¢: J (¢²:)

03

1. $m\dot{u}a_{S\pm 2}\} \dot{u} \dot{c} \dot{A} \dot{v} i \dot{o} \dot{u} \dot{u} \dot{E} \dot{u} \dot{H}\} \dot{q}?$
2. $\dot{Y} \dot{M} \dot{Y} \dot{+} \dot{C} \dot{S} \dot{q} \dot{C} \dot{S} \dot{z} i \dot{c} \dot{z} \dot{Y} \dot{C} i \dot{c} \dot{u} \dot{u} \dot{E} \dot{u} \dot{H}\} \dot{q}?$
3. $\dot{U} \dot{c} \dots \dot{c} \dot{a} \dot{c} \dot{T} \dot{U} i \dot{U} \dot{U} \dot{q} \dot{m} \dot{u} \dot{C} \dot{+} \dot{c} \dot{S} \dot{f} \dot{O} \dot{c} \dot{Y} \dot{z} \dot{C} \dot{Y}?$
4. $\dot{T} \dot{+} \dot{O} \dot{U} \dot{u} \dot{a} \dot{c} \dot{U} \dot{U} \dot{q}?$
5. $\dot{Y} \dot{c} \{ \dot{U} \dot{e} \dot{+} i \dot{c} \dot{c} \dot{D} \dot{P} \dot{O} \dot{c} \dot{U} \dot{U} \dot{S} \} \dot{C} \dot{Y} i \dot{U} \dot{U} \dot{z} \dot{u} \dot{U} \dot{c} \dot{+} \dot{c} \dot{q}?$

JJ TM1/4 f 00k±c1/4: JJ

Đí-4 (ÜÜ çY)YcHc¶¼²«ÜÜ ÜÜdÜÜ „Ç±²aÑ²Ç²¼J

04

1. $\forall y \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \}$
„ $\exists x \{ \exists y: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \}$ “
2. $S \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \}$
MD $\exists x \{ \exists y: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \} \wedge \{ \exists x: \neg (x \in S \wedge x \in S) \}$

(¶) L™ÜĐÍ,,ĈĬĉÝ}ĉĭĉ±{ĉÝanĉfĉ{ŬĭĐĉ¼ĐĈĬ²¼J

08

 $\yen f \pm \text{¢}$
$$\dots \left(\frac{1}{2} \pm i\sqrt{\frac{3}{4}} \right) \omega^k f \in \{ \omega^l \pm i\sqrt{\frac{3}{4}} \}$$

(x) $\frac{d^2 \psi}{dx^2} + k^2 \psi = 0$

03

1. $L\partial\cup\mathfrak{L}\hat{\imath}\ \cup\mathfrak{L}\frac{1}{4}\ \mathfrak{D}\hat{\imath},\ \mathfrak{C}\hat{\imath}\mathfrak{C}:\ \text{,,}\mathfrak{L}\frac{1}{4}\text{?}$
2. $\pm,\ \mathfrak{L}\mathfrak{C}^2\cup\mathfrak{D}\hat{\imath},\ \mathfrak{C}\hat{\imath}\hat{\imath}\mathfrak{m}\mathfrak{D}\mathfrak{S}\mathfrak{f}\mathfrak{C}\mathfrak{Y}\mathfrak{a}\mathfrak{H}\mathfrak{I}\frac{1}{4}\ \mathfrak{J}$
3. $\cup\mathfrak{L}\frac{1}{4}\mathfrak{D}\hat{\imath},\ \mathfrak{C}\hat{\imath}\mathfrak{S}^2\ \neq\cup\mathfrak{L}\frac{1}{4}\ \cup\mathfrak{L}\mathfrak{T}\mathfrak{a}\mathfrak{C}\mathfrak{C}\text{?}$
4. $\pm\mathfrak{C}\mathfrak{Y}\mathfrak{D}\hat{\imath},\ \mathfrak{C}\hat{\imath}\hat{\imath}\ \cup\mathfrak{L}\frac{1}{4}\ \mathfrak{x}\mathfrak{C}\pm\mathfrak{C}\mathfrak{Y}\mathfrak{C}:\ \mathfrak{S}\mathfrak{f}\mathfrak{C}\mathfrak{Y}\mathfrak{e}^2\}\mathfrak{D}\text{?}$
5. $\mathfrak{Y}\mathfrak{C}\mathfrak{a}\mathfrak{D}\mathfrak{K}\mathfrak{D}\hat{\imath},\ \mathfrak{C}\hat{\imath}\hat{\imath}\ :\ \cup\mathfrak{L}^2\ \hat{\imath}\mathfrak{L}\frac{1}{4}\mathfrak{C}\ \cup\mathfrak{L}\hat{\imath}\mathfrak{Y}\mathfrak{C}\mathfrak{Y}\mathfrak{T}\mathfrak{C}\mathfrak{D}\mathfrak{Y}\mathfrak{e}^2\}\mathfrak{D}\text{?}$
