

- [illegible]

3. $\{c, \partial \partial c Q U \dots\} \hat{I} \partial \partial c S y^2 c I \ c \neq q, c^{-1} \} \partial \partial c: I$
 $\} \partial \partial c \hat{D} i, h \partial \partial c S^2 c \hat{I} \ ^m c \hat{I} c \} \partial \partial c^{-1} \} \partial \partial c \hat{c} a \ J$

Di-6 »ÜS² „»yot ç±{PçJ 08

1. $\vec{E} = H \vec{y} \otimes \vec{z}$
2. $\vec{D} = S^2 \vec{c}^2 = \frac{1}{2} f \pm c, \vec{D}^2 = \vec{D} \vec{c} \vec{A} \vec{U} \vec{U} \vec{J}$

Di-7 »US² cAD†CgH¶¼J 02

1. $\partial \hat{E} \partial \hat{Y}_c$ - $\kappa \hat{f} \hat{Y}_c \hat{U} \partial \hat{J}$
2. ${}^2 \hat{q}_c \partial \hat{U} \kappa \hat{e} \frac{1}{4} \hat{Y}_c {}^2 \pm \hat{q} \hat{T} - \hat{q} \hat{T} \hat{e} \hat{Y}_c \partial {}^M \hat{U}_c$ \hat{J}

Di-8 m² Hídrólógiai 02

1. $\int \frac{1}{x^2} dx = -\frac{1}{x} + C$?
2. $\lim_{x \rightarrow 0} \frac{\sin x}{x} = 1$ „ $\lim_{x \rightarrow 0} \frac{\cos x}{-x} = 0$? $\lim_{x \rightarrow 0} \frac{1}{x} = \infty$?
3. $\frac{d}{dx} \ln x = \frac{1}{x}$ $\frac{d}{dx} e^x = e^x$ $\frac{d}{dx} a^x = a^x \ln a$?
4. $\int_0^1 x^2 dx = \frac{1}{3}$ „ $\int_0^1 x^3 dx = \frac{1}{4}$?

II 1/4 ± 0 1/4 II

Di-9 ¥{0Hc¶¼ dUP0p0im20 Å20N20 ÜÜ20ÜÜ 08

[illegible]

Di-10 ÜS² ÜS² „je“ ÜS² 08

1. YachdçÅÜÜ J 2. ÈUHDçÅÜÜ J

ĐI-11 ỦY BAN TỈNH ỦY CỘNG SẢN VIỆT NAM 04

1. $\hat{E}U\hat{T}C_{q\pm}C_{\pm}\{\hat{U}U\pm C\}qJ$
2. $\{C\}C_{\pm}C_{\pm}\hat{U}U\hat{Y}C_{\pm}C_{\pm}\{qJ$
3. $\}QU...S^2\hat{Y}ach:J$
4. $xc^2\hat{Y}ach:J$

Dí-12 »ÜŁŁŲZÝ D@ ĐÁÝĆ „)Ć{PĆ J **05**

1. $\forall x \exists y \forall z (x \neq z \rightarrow |x \pm z| \neq y)$?
2. $\forall x \exists y \forall z (x \neq y \wedge y \neq z \rightarrow x \neq z) \wedge |x \pm z| \neq y$?
3. $\forall x \exists y \forall z (x \neq z \rightarrow |x \pm z| \neq y) \wedge x \neq y \wedge z \neq y$?
4. „ $\exists x \exists y \forall z (x \neq y \wedge y \neq z \rightarrow x \neq z) \wedge |x \pm z| \neq y$?
5. $x \neq y \wedge \forall z (x \neq z \rightarrow |x \pm z| \neq y)$?
6. $\forall x \exists y \forall z (x \neq y \wedge y \neq z \rightarrow x \neq z) \wedge |x \pm z| \neq y$?
7. $\forall x \exists y \forall z (x \neq y \wedge y \neq z \rightarrow x \neq z) \wedge |x \pm z| \neq y$?
